# Macros

# FIFO and LIFO sing the BLUes\*

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# Abstract

FIFO, FirstInFirstOut, and LIFO, LastInFirstOut, are well known techniques for handling sequences. In  $T_{\rm E}X$  macro writing they are abundant but are not easily recognized as such.  $T_{\rm E}X$  templates for FIFO and LIFO are given and their use illustrated. The relation with Knuth's \dolist, answer Exercise 11.5, and \ctest, p. 376, is given.

Keywords: Education, FIFO, LIFO, list processing, macro writing, plain  $T_{\rm E}X.$ 

### Introduction

It started with the programming of the Tower of Hanoi in T<sub>E</sub>X, van der Laan (1992a). For printing each tower the general FIFO—First--In-First-Out<sup>1</sup>—approach was considered.<sup>2</sup> In literature (and courseware) the programming of these kind of things is done differently by each author, inhibiting intelligibility. In pursuit of Wirth (1976), T<sub>E</sub>X templates for the FIFO (and LIFO) paradigm will hopefully improve the situation.

In this article we will see various slightly different implementations of the basic FIFO principle.

# FIFO

In the sequel, I will restrict the meaning of FIFO to an input stream which is processed argument-wise. FIFO can be programmed in  $T_EX$  as template

```
\def\fifo #1%
{\ifx\ofif#1\ofif\fi\process#1\fifo}
\def\ofif #1\fifo{\fi}
```

```
*: Earlier versions appeared in MAPS 92.1,
proceedings EuroTEX '92, and TUGboat 14.1.
BLU is Ben Lee User of the The TEXbook fame.
It makes the title sing, I hope.
```

The \fifo command calls a macro \process that handles the individual arguments. Often you can copy \fifo straight out of this article, but you have to write a version of \process that is specific to your application.

#### To get the flavor.

Length of string. An alternative to Knuth's macro \getlength, The  $T_{E}Xbook$  p. 219, is obtained via the use of \fifo with

\newcount\length

\def\process #1{\advance\length \by1 }

Then \fifo aap noot \ofif \number \length yields the length 7.  $^3$ 

Number of asterisks. An alternative to Knuth's atest, The T<sub>E</sub>Xbook, p. 375, for determining the number of asterisks, is obtained via fifo with

\newcount\acnt
\def\process #1%
{\if\*#1\advance\acnt by1 \fi}

Then \fifo abc\*de\* \ofif \number \acnt yields the number of asterisks: 2.  $^4$ 

Vertical printing. David Salomon treats the problem of vertical printing in his courseware. Via an appropriate definition of \process and a suitable invocation of \fifo it is easily obtained.

```
\def\process #1{\hbox{#1}}
\vbox{\offinterlineskip\fifo abc\offif
}
```

yields c.

Tower of Hanoi. Printing of a tower 📥 can be done via

```
\def\process #1%
  {\hbox to3ex{%
    \hss\vrule width#1ex height1ex\hss}}
\vbox{\baselineskip1.1ex\fifo12\ofif}
```

**Termination**. For the termination of the tail recursion the same  $T_EX$  nique as given in the *The*  $T_EX$  book, p. 379, in the macro \deleterightmost, is used. This is elaborated as \break in Fine (1992), in relation to termination of the loop. The idea is that when \ofif is encountered in the input stream, that is, when \ifx\ofif#1... is true, all tokens in the macro up to and including \fifo—the start for the next level of recursion—are gobbled by a

<sup>1:</sup> See Knuth (1968), section 2.2.1.

<sup>2:</sup> In the Tower of Hanoi article Knuth's list datastructure was finally used—TEXbook Appendix D.2—with FIFO inherent.

<sup>3:</sup> Insert \obeyspaces when the spaces should be counted as well.

<sup>4:</sup> As the reader should realize, this works correctly when there are first level asterisks *only*. For counting at all levels automatically, a more general approach is needed, see Knuth's \ctest, p. 376.

subsequent call to  $\circ$ fif.<sup>5</sup> Because the matching f is gobbled too, this token is inserted via the replacement text of  $\circ$ fif. This T<sub>E</sub>Xnique is better than Kabelschacht's, (1987), where the token preceding the f is expanded after the f i via the use of  $\circ$  pandafter. When this is applied the exchange occurs at each level in the recursion. It also better than the  $let\next=...$  T<sub>E</sub>Xnique, which is used in the The T<sub>E</sub>Xbook, for example in iterate, p. 219, because there are no assignments.

My first version had the two tokens after \ifx reversed—a cow flew by—and made me realize the non-commutativity of the *first level* arguments of T<sub>E</sub>X's conditionals. For example, \ifx aa\empty... differs from \ifx\empty aa..., and \if\ab\aa... from \ifx\aa\ab..., with \def\aa {aa}, \def\ab{ab}. In math, and in programming languages like Pascal, the equality relation is commutative,<sup>6</sup> and no such thing as expansion comes in between. When not alert with respect to expansion, T<sub>E</sub>X's \if-s can surprise you.

The fifo macro is a basic one. It allows one to proceed along a list—at least conceptually and to apply a (user) specified process to each list element. By this approach the programming of going through a list is *separated* from the various processes to be applied to the elements.<sup>7</sup> It adheres to the *separation of concerns* principle, which I consider fundamental.

The input stream is processed argumentwise, with the consequence that first level braces will be gobbled. Beware! Furthermore, no outer control sequences are allowed, nor \par-s. The latter can be permitted via the use of \long\def.

A general approach—relieved from the restrictions on the input stream: every token is processed until  $\ofif$ —is given in the The TEXbook answer to Exercise 11.5 ( $\dolist...$ ) and on p. 376 ( $\ctest...$ ). After adaptation to the  $\fifo$  notation and to the use of macros instead of token variables, Knuth's  $\dolist$  comes down to

\def\fifo
 {\afterassignment\tap \let\nxt= }
\def\tap
 {\ifx\nxt\ofif\ofif\fi\process

```
\nxt\fifo}
\def\ofif#1\fifo{\fi}
```

This general approach is indispensable for macro writers. My less general approach can do a lot already, for particular applications, as will be shown below. But, ... beware of its limitations.

Variations. The above fifo can be seen as a template for encoding tail recursion in TEX, with arguments taken from the input stream one after another. An extension is to take two arguments from the input stream at a time, with the second argument to look ahead, via

\def\fifo #1#2%
 {\process#1\ifx\ofif#2
 \ofif\fi\fifo#2}
\def\ofif#1\ofif{\fi}

Note the systematics in the use of the parameter separator in ofif; here ofif and in the previous macro fifo, the last token of the replacement text. Although the principle of looking ahead with recursion is abundant in computer programming, a small example to illustrate its use is borrowed from Salomon: delete last character of argument. It is related to deleterightmost, The TEXbook p. 379. Effective is the following, where a second parameter for fifo is introduced to look ahead, which is inserted back when starting the next recursion level.

\def\gobblelast #1{\fifo#1\ofif} \def\fifo #1#2% {\ifx\ofif#2\ofif\fi#1\fifo#2} \def\ofif#1\ofif{\fi}

Then  $\gobblelast{aap}\$  will yield aa. And what about recursion without parameters? A nice example of that is a variant implementation of Knuth's \iterate of the  $\loop$ , The  $T_EXbook$ ,

```
p. 219
   \def\iterate
    {\body%
        \else\etareti%
        \fi%
        \iterate}
   \def\etareti #1\iterate{\fi}
```

This \iterate contains only 5 tokens in contrast with Knuth's 11. The efficiency and the needed memory is determined by the number of tokens in \body, and therefore this 5 vs. 11 is not relevant. The idea behind including this variant here is that the FIFO principle can lead to simple encoding of tail recursion even when no arguments are processed.

Variable number of parameters. TEX macros can take at most 9 parameters. The above fifo macro can be seen as a macro which is relieved from that

<sup>5:</sup> In contrast with usual programming of recursion start with the infinite loop, and then insert the \if...\ofif\fi.

<sup>6:</sup> So are  $T_EX$ 's \if-s after expansion.

<sup>7:</sup> If a list has to be *created*, Knuth's list datastructure might be used, simplifying the execution of the list. See The  $T_EXbook$  Appendix D.2.

restriction. Every group, or admissible token, in the input stream after \fifo up to and including \ofif, will become an argument to the macro. When the \ofif token is reached, the recursion—that is reading of arguments—will be terminated.<sup>8</sup>

Unknown number of arguments. Tutelaers (1992), as mentioned by Eijkhout (1991), faced the problem of inputting a chess position. The problem is characterized by an unspecified number of positions of pieces, with for the pawn positions the identification of the pawn generally omitted. Let us denote the pieces by the capital letters K(ing), Q(ueen), B(ishop), (k)N(ight), R(ook), and P(awn), with the latter symbol default. The position on the board is indicated by a letter a, b, c, ..., or h, followed by a number, 1, 2, ..., or 8. Then, for example,

\position{Ke1, Qd1, Na1, e2, e4}

should entail the invocations

This can be done by an appropriate definition of \position, and an adaptation of the \fifo template, via

```
\def\position #1%
 {\fifo#1,\ofif,}
\def\fifo #1,%
 {\ifx\ofif#1\ofif\fi%
 \process#1\relax\fifo}
\def\ofif #1\fifo{\fi}
\def\process #1#2#3%
 {\ifx\relax#3%
 \piece{P}{#1#2}\else\piece#1{#2#3}\fi}
```

With the following definition (simplified in relation to Tutelaers)

\def\piece #1#2{ #1-#2}

we get K-e1 Q-d1 N-a1 P-e2 P-e4.

For an unknown number of arguments at two levels see the Nested FIFO section.

Citation lists. In a list of citations it is a good habit to typeset three or more consecutive numbers as a range. For example 1, 2, 3 as 1-3. This must be done via macros when the numbers are represented by symbolic names, which get their value on the

fly. In general the sequence must be sorted  $^{9}$  before typesetting. This has been elaborated by Arseneau (1992) in a few IAT<sub>E</sub>X styles, and for plain T<sub>E</sub>X by myself. I used the FIFO paradigm in the trivial, stepping-stone, variant of typesetting an explicit non-descending sequence in range notation. The resulting 'process' macro could be used in the general case, once I realized that FISO—Firts-In--Smallest-Out—was logically related to FIFO: the *required* elements are yielded one after the other, whether the first, the last, the smallest, or ... you name it. Perhaps this is a nice exercise for the reader. For a solution see van der Laan (1993).<sup>10</sup>

**Vowels, voilà.** Schwarz (1987) coined the problem to print vowels in bold face.<sup>11</sup> The problem can be split into two parts. First, the general part of going character by character through a string, and second, decide whether the character at hand is a vowel or not.

For the first part use fifo (or Knuth's dolist). For the second part, combine the vowels into a string, aeiou, and the problem can be reduced to the question  $\langle char \rangle \in$  aeiou? Earlier, I used this approach in searching a card in a bridge hand, van der Laan (1990, the macro strip). That was well-hidden under several piles of cards, I presume? The following encoding is related to ismember, The T<sub>E</sub>Xbook, p. 379

Then \fifo Audacious \ofif yields Audacious.

Variation. If in the invocation \locate #2#1 a free symbol is inserted between #2 and #1,

<sup>8:</sup> Another way to circumvent the 9 parameters limitation is to associate names to the quantities to be used as arguments, let us say via def's, and to use these quantities via their names in the macro. This is Knuth's parameter mechanism and is functionally related to the so-called keyword parameter mechanism of command languages, and for example ADA.

<sup>9:</sup> The sorting of short sequences within  $T_EX$  has been elaborated by Jeffrey (1990), and myself in Syntactic Sugar.

<sup>10:</sup> However, in my later BLUe's Bibliography, this is no longer necessary because of the one-pass job and the inherent simpler approach.

<sup>11:</sup> His solution mixes up the picking up of list elements and the process to be applied. Moreover, his nesting of \if-s in order to determine whether a character is a vowel or not, is not elegant. Fine (1992)'s solution, via a switch, is not elegant either.

then  $\loc$  can be used to locate substrings.<sup>12</sup> And because {string<sub>1</sub>  $\in$  string<sub>2</sub>}  $\land$  {string<sub>2</sub>  $\in$ string<sub>1</sub>}  $\Rightarrow$  string<sub>1</sub> = string<sub>2</sub>, the variant can be used for the equality test for strings. See also the Multiple FIFO subsection, for general and more effective alternatives for equality tests of strings.

**Processing lines.** What about processing lines of text? In official, judicial, documents it is a habit to fill out lines of text with dots.<sup>13</sup> This can be solved by making the end-of-line character active, with the function to fill up the line. A general approach where we can \process the line, and not only append to it, can be based upon \fifo.

One can wonder, whether the purpose can't be better attained, while using  $T_EX$  as formatter, by filling up the last line of paragraphs by dots, because  $T_EX$  justifies with paragraphs as units.

In the The TEXbook the example about processing lines is writing answers of the exercises to the file answers.tex, line by line, p. 422. The given \copytoblankline can be recast in FIFO terms as

```
\def\copytoblankline
  {\begingroup\setupcopy\fifol}
  {\obeylines\gdef\fifol#1
   {\ifx\empty#1\empty\lofif\fi
   \processl{#1}\fifol}}
\def\lofif #1\fifol{\fi\endgroup}
\def\processl #1%
   {\immediate\write\ans{#1}}
```

**Processing words**. What about handling a list of words? This can be achieved by modifying the \fifo template into a version which picks up words, \fifow, and to give \processw an appropriate function.

```
\def\fifow #1 %
   {\ifx\wofif#1\wofif\fi
    \processw{#1}\ \fifow}
\def\wofif #1\fifow{\fi}
```

Underlining words. In print it is uncommon to emphasize words by underlining. Generally another font is used, see discussion of Exercise 18.26 in the *The*  $T_EXbook$ . However, now and then people ask for (poor man's) underlining of words. The following \processw definition underlines words picked up by \fifow. Then

```
\def\fifow #1 %
   {\ifx\wofif#1\wofif\fi
    \processw{#1}\ \fifow}
\def\wofif #1\fifow{\fi}
```

12: Think of finding 'bb' in 'ab' for example, which goes wrong without the extra symbol.

13: The problem was posed at EuroTEX '91 by Theo Jurriens.

```
\def\processw #1%
{\vtop{\hbox{\strut#1}\hrule}}
%%
\fifow leentje leerde lotje lopen
langs de lange lindenlaan \wofif\unskip
```

yields <u>leentje</u> <u>leerde</u> <u>lotje</u> <u>lopen</u> <u>langs</u> <u>de</u> <u>lange</u> <u>lindenlaan</u>.

# **Nested FIFO**

One can nest the FIFO paradigm. For processing lines word by word, or words character by character.

Words character by character. Exercise 11.5, can be solved by processing words character by character. A solution to a slightly simplified version of the exercise reads

 $\label{eq:linear} $$ fifow Though exercise \wofif \unskip. with $$$ 

### yields

In the spirit of \dolist..., Exercise 11.5, is (variant neglecting word structure)

Mark up natural data. Data for h(v) align needs & and cr marks. We can get plain TEX to append a cr at each input line, The TEXbook p. 249. An extension of this is to get plain TEX to insert cs-s, column separators, and rs-s, row separators, and eventually to add lr, last row, at the end, in natural data. For example prior to an invocation of halign, one wants to get plain TEX to do the transformation

```
\frac{P^*ON}{DEK^*} \Rightarrow P \ cs^* \ csO \ csN \ rsD \ csE \ csK \ cs^* \ lr
```

This can be done via

```
1994
```

\edata \markup\data \vcenter{\hbox{\data}} with \let\ea=\expandafter \def\bdata {\bgroup\obeylines\store} \def\store #1\edata{\egroup\def\data{#1}} \def\markup #1% {\ea\xdef\ea#1\ea{\ea\fifol#1\lofif}} and auxiliaries  ${\det code' ^{M=13}}$ \gdef\fifol #1^^M#2% {\fifo#1\ofif% \ifx\lofif#2\noexpand\lr\lofif \fi\noexpand\rs\fifol#2}} \def\lofif #1\lofif{\fi} \def\fifo #1#2{% #1\ifx\ofif#2\ofif \fi\noexpand\cs\fifo#2}  $def of #1 of {fi}$ \def\cs{{\sevenrm{\tt\char92}cs}}  $def\rs{\{\sevenrm{\tt\char92}rs\}}$ 

\def\lr{{\sevenrm{\tt\char92}lr}} The above came to mind when typesetting crosswords,<sup>14</sup> van der Laan (1992b,d),<sup>15</sup> while striving after the possibility to allow natural input, independent of \halign processing.

# **Multiple FIFO**

What about FIFO for more than one stream?<sup>16</sup> For example comparing strings, either for equality or with respect to lexicographic ordering? Eijkhout (1992, p. 137, 138) provided for these applications the macros \ifAllChars...\Are...\TheSame, and \ifallchars...\are...\bfore. The encodings are focused at mouth processing. The latter contains many \expandafter-s.

A basic approach is: loop through the strings character by character, and compare the characters until either the assumed condition is no longer true, or the end of either one of the strings, has been reached.

Equality of strings. The  $T_{E}X\-$  specific encoding, where use has been made of the property of  $\ifx$  for control sequences, reads

```
\def\eq #1#2%
{\def\st{#1}\def\nd{#2}
\ifx\st\nd\eqtrue\else\eqfalse\fi}
```

with auxiliary \newif\ifeq.

14: With \*, or ⊔, given an appropriate function.
15: In (1992d) I set the puzzles via direct use of nested FIFO. No \halign use nor mark up phase.
16: For simplicity the streams are stored in def-s, because \read inputs lines.

As a stepping stone for lexicographic comparison, consider the general encoding

```
def = #1#2\%
       {\continuetrue\eqtrue
        \loop
           \ifx#1\empty\continuefalse\fi
           \ifx#2\empty\continuefalse\fi
        \ifcontinue
           \nxte#1\nxtt \nxte#2\nxtu
           \ifx\nxtt\nxtu
           \else\eqfalse\continuefalse\fi
        \repeat
        \ifx\empty#1
           \ifx\empty#2\else\eqfalse\fi
        \else\eqfalse\fi}
with auxiliaries
    \newif\ifcontinue \newif\ifeq
    \def\nxte #1#2%
       {\def\pop ##1##2\pop%
          {\gdef #1{##2} \gdef#2{##1}}%
           \ea\pop#1\pop}
```

Then

```
\def\t{abc} \def\u{ab} \eq\t\u
\ifeq$abc=ab$\else$abc\not=ab$\fi
```

```
yields abc \neq ab.
```

**Lexicographic comparison.** Assume that we deal with lower case and upper case letters only. The encoding of  $\sle$ —String Less or Equal—follows the same flow as the equality test,  $\eq$ , but differs in the test, because of  $T_EX$ 's expansion mechanisms

```
% #1, #2 are def's
    \def\sle #1#2%
      {\global\sletrue\global\eqtrue
       {\continuetrue
       \loop
          \ifx#1\empty\continuefalse\fi
          \ifx#2\empty\continuefalse\fi
       \ifcontinue
          \nxte#1\nxtt\nxte#2\nxtu
          \ea\ea\lle\ea\nxtt\nxtu
       \repeat}
       \ifeq\ifx\empty#2\ifx\empty#1
             \else\global\slefalse\fi\fi
       fi
with auxiliaries (\lle=Letter Less or Equal)
    \newif\ifcontinue
    \global\newif\ifsle
    \global\newif\ifeq
    \def\nxte #1#2%
       {\def\pop##1##2\pop%
           {\xdef#1{##2}%
            \t = \frac{1}{2}{\#1}%
        \ea\pop#1\pop}
    \def\lle #1#2%
       {\uppercase{\ifnum'#1='#2}
        \else\continuefalse\global\eqfalse
        \uppercase{\ifnum'#1>'#2}{}
                    \global\slefalse\fi
```

```
\fi}
```

```
For example \label{eq:abc} \end{tightstarrow} \en
```

```
\ifsle$noo<apen$\else$noo>apen$\fi
```

yields noo > apen.

The above can be elaborated with respect to \read for strings each on a separate file, to strings with accented letters, to the inclusion of an ordering table, and in general to sorting. Some of the mentioned items will be treated in Sorting in BLUe, to come.

# LIFO

A modification of the \fifo macro—\process {#1} invoked at the end instead of at the beginning—will yield the LastInFirstOut template. Of course LIFO can be applied to reversion on the fly, without explicitly allocating auxiliary storage.<sup>17</sup>

```
\def\lifo #1#2\ofil%
  {\ifx\empty#2\empty\ofil\fi%
    \lifo#2\ofil\process#1}
\def\ofil #1\ofil{\fi}
```

The test for emptyness of the second argument is similar to the  $T_EXnique$  used by Knuth in \displaytest, The  $T_EXbook$  p. 376: \if!#3!....

With the identity—\def\process #1{#1}, or the invoke \process #1 replaced by #1<sup>18</sup>—the template can be used for reversion on the fly For example \lifo aap\ofil yields paa.<sup>19</sup>

**Change of radix.** In the *The*  $T_{\underline{E}}Xbook$  a LIFO exercise is provided at p. 219: print the digits of a number in radix 16 representation. The encoding is based upon the property

$$\mathfrak{l}_k = (N \div r^k) \mod r, \quad k = 0, 1, \dots, n,$$

with radix r, coefficients  $d_{\rm k},$  and the number representation

$$\mathsf{N} = \sum_{k=0}^{n} \mathrm{d}_{k} \, \mathsf{r}^{k}.$$

There are two ways of generating the numbers  $d_k$ : starting with  $d_n$ , or the simpler one starting with  $d_0$ , with the disadvantage that the numbers are generated in reverse order with respect to printing. The latter approach is given in *The TEXbook* p. 219. Adaptation of the LIFO template does not provide a solution much different from Knuth's, because the numbers to be typeset are generated in the recursion and not available in the input stream.

# **Further reading**

Zalmstra and Rogers (1989), apply the FIFO technique to a list of figures — or floating bodies — in order to merge the list appropriately with the main vertical list in the output routine. This is beyond the scope of this paper.

#### Acknowledgements

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# Conclusion

In looking for a fundamental approach to process elements sequentially—not to confuse with list processing where the list is also built up, see The  $T_EXbook$  Appendix D.2, or with processing of every token in the input stream, see Exercise 11.5 or p. 376— $T_EX$  templates for FIFO and LIFO emerged.

The templates can be used for processing lines, words or characters. Also processing of words line

<sup>17:</sup> Johannes Braams drew my attention to Knuth and MacKay (1987), which contained among others \reflect ... \tcelfer. They compare #1 with \empty, which is nice. The invocation needs an extra token, \empty—a so-called sentinel, see Wirth (1976)—to be included before \tcelfer, however. (Knuth and Mackay hide this by another macro which invokes \reflect... \empty\tcelfer). My approach requires at least one argument, with the consequence that the empty case must be treated separately, or a sentinel must be appended after all. 18: Remember the stack size limitations.

<sup>19:</sup> Note that Knuth's test \if!\#3!... goes wrong for #3 equals !, and similarly my use of the idea goes wrong for #2 equals \empty, which is not 'empty.' Given the context those situations don't occur, however.

by line, or characters word by word, can be handled via nested use of the FIFO principle.

The FIFO principle along with the look ahead mechanism is applied to molding natural data into representations required by subsequent  $T_{\rm E}X$  processing.

Courseware might benefit from the FIFO approach to unify answers of the exercises of the macro chapter.

 $T_{\rm E}X$ 's \ifx... and \if... conditionals are non-commutative with respect to their *first level* operands, while the similar mathematical operations are, as are the operations in current high-level programming languages.

Multiple FIFO, by comparing strings lexicographically, has been touched upon.

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